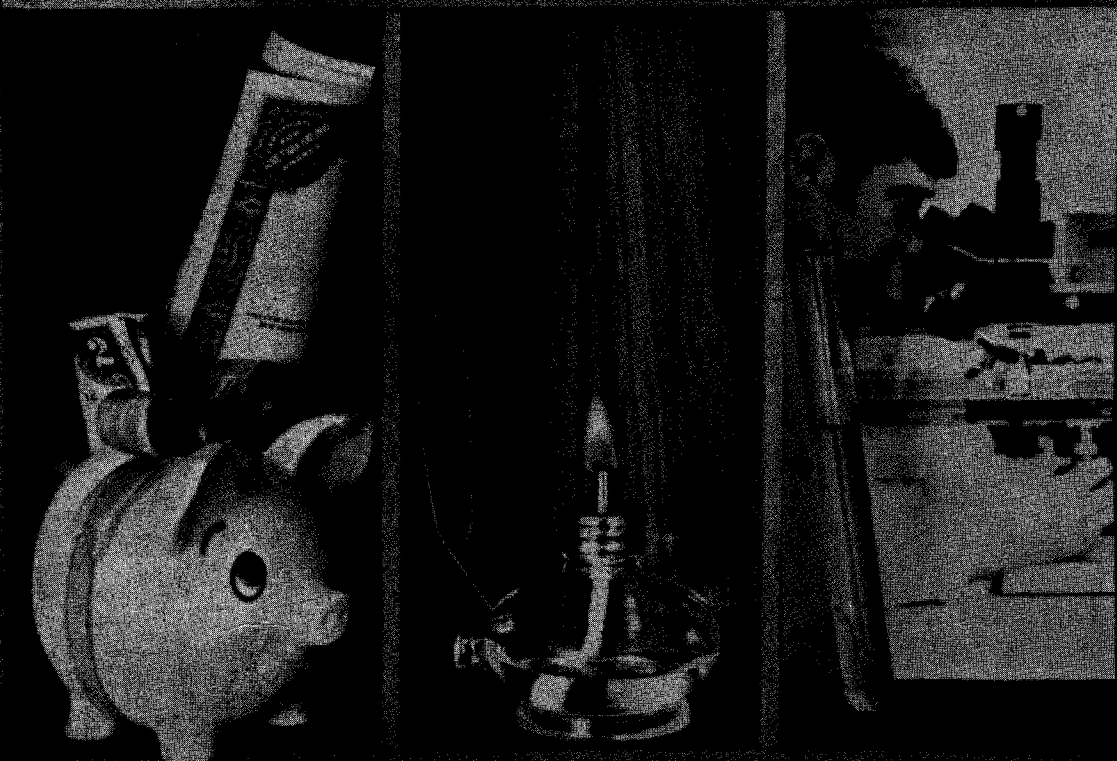


Hewlett-Packard
**HP-19C/HP-29C
SOLUTIONS**

MECHANICAL ENGINEERING



INTRODUCTION

This HP-19C/HP-29C Solutions book was written to help you get the most from your calculator. The programs were chosen to provide useful calculations for many of the common problems encountered.

They will provide you with immediate capabilities in your everyday calculations and you will find them useful as guides to programming techniques for writing your own customized software. The comments on each program listing describe the approach used to reach the solution and help you follow the programmer's logic as you become an expert on your HP calculator.

You will find general information on how to key in and run programs under "A Word about Program Usage" in the Applications book you received with your calculator.

We hope that this Solutions book will be a valuable tool in your work and would appreciate your comments about it.

The program material contained herein is supplied without representation or warranty of any kind. Hewlett-Packard Company therefore assumes no responsibility and shall have no liability, consequential or otherwise, of any kind arising from the use of this program material or any part thereof.

TABLE OF CONTENTS

1.	RPM/TORQUE POWER	1
	This program provides interchangeable solutions for RPM/Torque, and power.	
2.	CRITICAL SHAFT SPEED	4
	This program finds the fundamental critical speed of a rotating shaft.	
3.	LINEAR PROGRESSION OF A SLIDER CRANK	8
	This program calculates the displacement, velocity, and acceleration of the slide in a slider crank mechanism.	
4.	SPUR GEAR REDUCTION DRIVE	12
	This program provides interchangeable solutions for reduction, distance between centers, diametral pitch, and number of pinion teeth. The program also outputs values for the pitch diameters of the pinion and the gear, and the number of gear teeth.	
5.	BELT LENGTH	16
	This program computes the belt length around an arbitrary set of pulleys.	
6.	REVERSIBLE POLYTROPIC PROCESS FOR AN IDEAL GAS	20
	This program provides interchangeable solutions between pressure ratio, volume ratio, temperature ratio, and density ratio.	
7.	ISENTROPIC FLOW FOR AN IDEAL GAS	23
	This program replaces isentropic flow tables for a specified specific heat ratio.	
8.	HEAT TRANSFER THROUGH COMPOSITE CYLINDERS AND WALLS	27
	This program calculates the overall heat transfer coefficient from individual section conductances and surface coefficients.	
9.	BLACKBODY THERMAL RADIATION.	31
	This program calculates the wavelength of maximum emissive power for a given temperature (or vice versa), and the emissive power (total, from λ , to λ_2 , or at λ_1).	
10.	CONSERVATION OF ENERGY	36
	This program converts kinetic energy, potential energy, and pressure-volume work to energy, sums all the energy contributions, and converts the total to an equivalent velocity, height, pressure, or energy per unit mass.	

RPM/TORQUE/POWER

This program provides an interchangeable solution for RPM, torque, and power in both Systeme International (metric) and English units.

	SI	English
RPM	RPM	RPM
Torque	nt-m	ft-lb
Power	watts	hp

EQUATIONS:

$$\text{RPM} \times \text{Torque} = \text{Power}$$

$$1 \text{ hp} = 745.7 \text{ watts}$$

$$1 \text{ ft-lb} = 1.356 \text{ joules}$$

$$1 \text{ RPM} = \pi/30 \text{ radians/sec}$$

$$1 \text{ hp} = 550 \frac{\text{ft-lb}}{\text{sec}}$$

EXAMPLE 1:

Calculate the torque from an engine developing 11 hp at 6500 RPM. Find the SI equivalent.

EXAMPLE 2:

A generator is turning at 1600 RPM with a torque of 20 nt-m. If it is 90% efficient, what is the power input in both systems?

SOLUTIONS:

(1)

```

GSB4
6500.00 ENT↑
0.00 ENT↑
11.00 GSB5
8.89 *** Torque, ft-lb
R/S
12.05 *** Torque, nt-m

```

(2)

```

GSB3
1600.00 ENT↑
20.00 ENT↑
0.90 ÷
0.00 GSB5
3723.37 *** Power, watts
R/S
4.99 *** Power, hp

```

[illegible]

Program Listings

3

01 *LBL3	Set up for metric units	48 RCL3	** RPM *** Torque ** Torque converted *** Power ** Power converted
02 3		49 ÷	
03 0		50 RCL7	
04 Pi		51 x	
05 ÷		52 R/S	
06 ST07		53 *LBL1	
07 7		54 RCL4	
08 4		55 RCL2	
09 5		56 ÷	
10 .		57 RCL7	
11 7		58 x	
12 ST05		59 R/S	
13 1		60 RCL6	
14 .		61 ÷	
15 3		62 R/S	
16 5		63 *LBL0	
17 6		64 RCL2	
18 ST06		65 RCL3	
19 RTN		66 x	
20 *LBL4	Set up for English units	67 RCL7	** "Printx" may be inserted before "R/S". *** "Printx" may replace "R/S".
21 GSB3		68 ÷	
22 1/X		69 R/S	
23 ST06		70 RCL5	
24 X*Y		71 ÷	
25 1/X		72 R/S	
26 ST05			
27 ÷			
28 x			
29 ST07			
30 RTN			
31 *LBL5			
32 4			
33 ST00			
34 R↓			
35 *LBL8			
36 ST01	Store variables		
37 R↓			
38 DSZ			
39 GT08			
40 *LBL9			
41 X=0?			
42 GT01			
43 ISZ			
44 R↓			
45 GT09			
46 *LBL2			
47 RCL4			
	Determine quantity to calculate		

REGISTERS					
0 i	1 Used	2 RPM	3 Torque	4 Power	5 Used
6 Used	7 Used	8	9	.0	.1
.2	.3	.4	.5	16	17
18	19	20	21	22	23
24	25	26	27	28	29

CRITICAL SHAFT SPEED

Suppose a rotating shaft is simply supported at both ends and has a series of n weights, W_1, \dots, W_n , attached. Then there are critical speeds at which the shaft will become dynamically unstable. This program finds the fundamental critical speed from the formula

$$f = \frac{1}{2\pi} \sqrt{\frac{g \sum_{i=1}^n W_i y_i}{\sum_{i=1}^n W_i y_i^2}} \quad \text{cycles/sec}$$

where

g = Acceleration due to gravity

y_i = Static deflection of weight W_i

The program is set up to accept the static deflections y_i as inputs. If the static deflections are not known, it calculates y_{ij} , the static deflection of weight i due to W_j . Then the total deflection of weight i is the sum of the deflections from all the W_j 's. That is,

$$y_i = \sum_{j=1}^n y_{ij}$$

The individual y_{ij} 's are added to provide the y_i 's which the program accepts as inputs. The y_{ij} 's are calculated as follows:

If $x_i < x_j$

$$y_{ij} = \frac{W_j (\ell - x_j) x_i}{6\ell EI} [\ell^2 - (\ell - x_j)^2 - x_i^2]$$

$$= \frac{W_j (\ell - x_j) x_i}{6\ell EI} [2\ell x_j - x_j^2 - x_i^2]$$

If $x_i \geq x_j$

$$y_{ij} = \frac{W_j x_j (\ell - x_i)}{6\ell EI} [\ell^2 - x_j^2 - (\ell - x_i)^2]$$

$$= \frac{W_j x_j (\ell - x_i)}{6\ell EI} [2\ell x_i - x_j^2 - x_i^2]$$

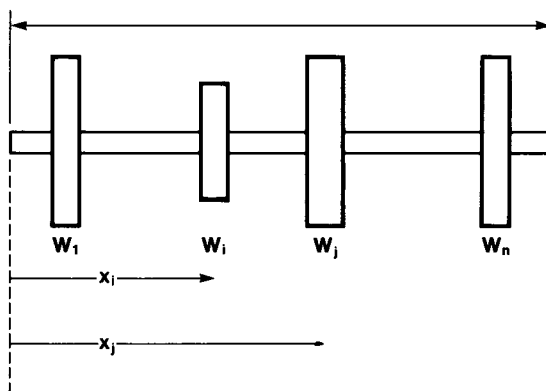
where

x_i, x_j = Distance of weights i, j from end of shaft

E = Modulus of elasticity

I = Moment of inertia = $\frac{\pi d^4}{64}$

ℓ = Length of shaft



Any consistent set of units may be used. The acceleration due to gravity, g , will of course change from one set of units to another. Some useful values are listed below:

$$g = 32.1740 \text{ ft/sec}^2$$

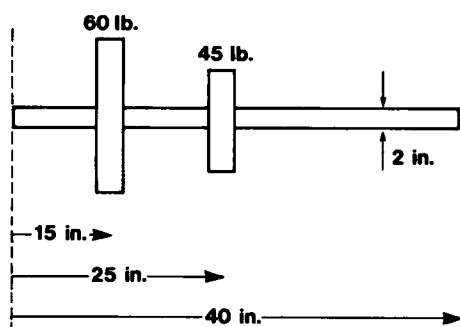
$$= 386.088 \text{ in/sec}^2$$

$$= 9.80665 \text{ m/sec}^2$$

$$= 980.665 \text{ cm/sec}^2$$

REFERENCE: Design of Machine Elements, M.F. Spotts, Prentice-Hall, 1971.

EXAMPLE: A 2 inch diameter steel shaft of total length 40 inches has a fly-wheel and a gear located respectively 15 and 25 inches from the end. The flywheel weights 60 pounds and the gear 45 pounds. Assume the modulus of elasticity of the steel is 30×10^6 psi. Find the fundamental critical speed of the shaft.



SOLUTION:

```

2.00 ENT↑
30.+06 ENT↑
2.00 GSB6 d
40.00 GSB1
60.00 ENT↑
15.00 GSB2
45.00 ENT↑
25.00 GSB3
45.00 ENT↑
25.00 GSB2
60.00 ENT↑
15.00 GSB3
386.088 GSB5
44.15 *** f,cycles/sec
60.00 x
2648.85 *** f, RPM

```


User Instructions

STEP	INSTRUCTIONS	INPUT DATA/UNITS	KEYS		OUTPUT DATA/UNITS
1.	Key in the program		<input type="text"/>	<input type="text"/>	
2.	If y_i are known, go to step 10		<input type="text"/>	<input type="text"/>	
3.	If the y_i are not known, input	n	<input type="text"/>	<input type="text"/>	
	Modulus of elasticity	E	<input type="text"/>	<input type="text"/>	E
	Moment of inertia**	I	<input type="text"/>	<input type="text"/>	I
	Length of shaft	ℓ	GSB	1	n
4.	Repeat steps 5-7 for $i = 1, \dots, n$		<input type="text"/>	<input type="text"/>	
5.	Input W_i	W_i	<input type="text"/>	<input type="text"/>	W_i
	x_i	x_i	GSB	2	Index
6.	Repeat step 7 for all $j \neq i$		<input type="text"/>	<input type="text"/>	
7.	Input W_j	W_j	<input type="text"/>	<input type="text"/>	W_j
	x_j where $j \neq i$	x_j	GSB	3	Index or $W_i x_j^2$
8.	Input acceleration of gravity and calculate critical speed.	g	<input type="text"/>	<input type="text"/>	
			GSB	5	$f(\text{cycles/sec})$
9.	For a new case, go to step 2		<input type="text"/>	<input type="text"/>	
10.	If the y_i are known, input length of shaft	ℓ	GSB	1	
11.	Repeat step 12 for $i = 1, \dots, n$		<input type="text"/>	<input type="text"/>	
12.	Input W_i	W_i	ENT↑	<input type="text"/>	W_i
	y_i	y_i	GSB	4	$W_i y_i^2$
13.	Input acceleration of gravity and compute critical speed	g	<input type="text"/>	<input type="text"/>	
			GSB	5	$f(\text{cycles/sec})$
14.	For a new case go to step 2		<input type="text"/>	<input type="text"/>	
	**If I is not known, it may be calculated from the diameter (solid cylindrical shaft only).	d	GSB	6	I
			<input type="text"/>	<input type="text"/>	
			<input type="text"/>	<input type="text"/>	
			<input type="text"/>	<input type="text"/>	
			<input type="text"/>	<input type="text"/>	

Program Listings

7

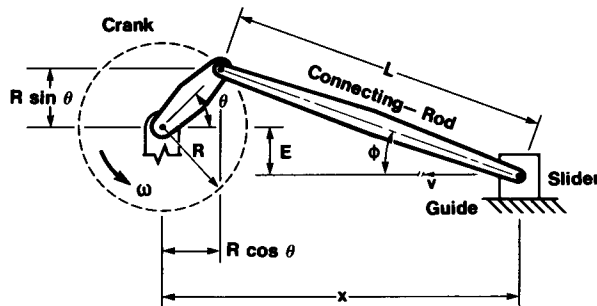
01 *LBL1		48 RCL0	
02 CLRG		49 X#Y?	Index # n?
03 ST08	ℓ	50 R/S	
04 x		51 0	
05 x		52 ST00	
06 6		53 RCL4	W_i
07 x		54 RCL3	Y_i
08 ST09	GEI ℓ	55 *LBL4	
09 R↓		56 x	$Y_i W_i$
10 ST.0	n	57 ST+1	
11 R/S		58 LSTX	
12 *LBL2		59 x	
13 ST05	x_i	60 ST+2	$y_i^2 W_i$
14 X#Y		61 R/S	
15 ST04	W_i	62 *LBL5	
16 0		63 RCL1	
17 ST03		64 x	
18 R↓		65 RCL2	
19 X#Y	$x_i W_i$	66 ÷	
20 *LBL3	$x_j W_j$	67 JX	
21 ISZ		68 P <i>i</i>	
22 RCL5		69 ÷	
23 X>Y?	x_i	70 2	
24 X#Y		71 ÷	
25 ST06		72 R/S	**f
26 X ²		73 *LBL6	d
27 X#Y		74 4	
28 ST07		75 YX	
29 X ²		76 P <i>i</i>	
30 +		77 x	
31 RCL8		78 6	
32 RCL7		79 4	
33 x		80 ÷	
34 2		81 R/S	I
35 x			
36 -			
37 x			
38 RCL6			
39 x			
40 RCL7			
41 RCL8			
42 -			
43 x			
44 RCL9			
45 ÷			
46 ST+3	y_{ij}		
47 RC.0			

**"Printx" may be inserted before "R/S".

REGISTERS

0 Index	1 $\Sigma W_i y_i$	2 $\Sigma W_i y_i^2$	3 $\Sigma y_{ij} = y_i$	4 W_i	5 x_i
6 Min(x_i, x_j)	7 Max(x_i, x_j)	8 ℓ	9 GEI ℓ	10 n	11
12	13	14	15	16	17
18	19	20	21	22	23
24	25	26	27	28	29

LINEAR PROGRESSION OF SLIDER CRANK



This program calculates the displacement, velocity, and acceleration of the slider in a slider crank mechanism, (e.g. the piston wrist-pin in an internal combustion engine) given crank radius, connecting rod length, slider offset, crankshaft speed, and crank position. The maximum and minimum displacements and the stroke are also calculated.

N = Crankshaft speed, RPM

E = Slider offset

L = Connecting rod length

R = Crank radius

ω = Crank angular velocity, radians/sec

θ = Crank angle

x = Slider displacement

x_{\max} = Maximum slider displacement

x_{\min} = Minimum slider displacement

Δx = Stroke

v = Slider velocity

a = Slider acceleration

ϕ = Connecting rod angle

EQUATIONS:

$$\omega = \frac{\pi N}{30}$$

$$x = R \cos \theta + L \cos \phi$$

$$x_{\max} = (R + L) \cos \left[\sin^{-1} \left(\frac{E}{R + L} \right) \right]$$

$$x_{\min} = (L - R) \cos \left[\sin^{-1} \left(\frac{E}{L - R} \right) \right]$$

$$\Delta x = x_{\max} - x_{\min}$$

$$\phi = \sin^{-1} \left(\frac{E + R \sin \theta}{L} \right)$$

$$v = \frac{dx}{dt} = R\omega \left(\frac{-\sin(\theta + \phi)}{\cos \phi} \right)$$

$$a = \frac{d^2x}{dt^2} = R\omega^2 \left(\frac{-\cos(\theta + \phi)}{\cos \phi} - \frac{R \cos^2 \theta}{L \cos^3 \phi} \right)$$

REFERENCES:

Mechanical Design and Systems Handbook, H.A. Rothbart, McGraw-Hill, 1964.

Kinematics, V.M. Faires, McGraw-Hill, 1959.

EXAMPLE:

Find the displacement, velocity and acceleration of the wrist-pin in the slider of a slider crank mechanism having a crank radius of 2.0 inches and connecting rod length of 7.0 inches, turning at 4800 RPM. Calculate values for

$$\theta = 0^\circ, 15^\circ, 45^\circ, 90^\circ, 135^\circ, 180^\circ, 225^\circ$$

Assume the slider crank mechanism is in-line ($E=0$). Also find the maximum and minimum displacements and the stroke.

SOLUTION:

```

4800.00 ENT↑
0.00 ENT↑
7.00 ENT↑
2.00 GSB1
502.65 *** ω rad./sec
0.00 GSB2
9.00 *** x in.
R/S
9.00 *** xmax, in.
R/S
5.00 *** xmin, in.
-
4.00 *** Δx, in.
GSB3
0.00 *** v, in./sec.
GSB4
-649701.96 *** a, in./sec.2
15.00 GSB2
8.91 *** x, in.
GSB3
-332.20 *** v, in./sec.
GSB4
-614226.44 *** a, in./sec.2

.
.
.

225.00 GSB2
5.44 *** x, in.
GSB3
564.22 *** v, in./sec.
GSB4
354181.29 *** a, in./sec.2

```


Program Listings

11

01 *LBL1		48 RCL3	
02 ST01		49 RCL2	
03 R↓	R	50 RCL1	
04 ST02	L	51 CHS	
05 R↓		52 GT00	Calculate x_{\min}
06 ST03	E	53 *LBL3	
07 R↓		54 RCL6	
08 P↓		55 RCL5	
09 ×		56 +	
10 3		57 RCL1	
11 0		58 CHS	-R $\theta + \phi$
12 ÷		59 →R	
13 ST04	**ω	60 ST08	
14 R/S	θ	61 CLX	
15 *LBL2		62 RCL4	
16 ST05		63 ×	
17 SIN		64 RCL7	
18 RCL1		65 ÷	
19 ×		66 R/S	**v
20 RCL3		67 *LBL4	-R cos ($\theta + \phi$)
21 +		68 RCL8	
22 RCL2		69 RCL5	
23 ÷		70 COS	
24 SIN↑	φ	71 RCL7	
25 ST06		72 ÷	
26 COS		73 RCL1	
27 ST07	cos φ	74 ×	
28 RCL2		75 X²	
29 ×		76 RCL2	
30 RCL5		77 ÷	
31 COS		78 -	
32 RCL1		79 RCL4	
33 ×		80 X²	
34 +		81 ×	
35 R/S	*** x	82 RCL7	
36 RCL3		83 ÷	
37 RCL2		84 R/S	**a
38 RCL1			
39 *LBL0			
40 +			
41 ST08	R + L or L - R		
42 ÷			
43 SIN↑			
44 COS			
45 RCL8			
46 ×			
47 R/S	** x_{\max} or x_{\min}		

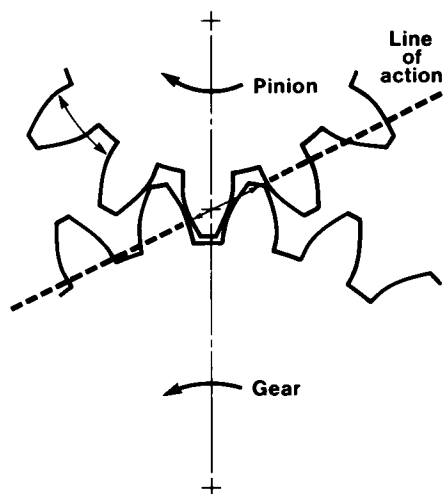
** "Printx" may be inserted before "R/S".

*** "Printx" may replace "R/S".

REGISTERS

0	1 R	2 L	3 E	4 ω	5 θ
6 φ	7 cos φ	8 Used	9	.0	.1
.2	.3	.4	.5	16	17
18	19	20	21	22	23
24	25	26	27	28	29

SPUR GEAR REDUCTION DRIVE



For a spur gear meshing with a pinion, this program performs an interchangeable solution among the variables reduction (f), distance between the centers (C.D.), diametral pitch (P), and number of pinion teeth (N_p). Once these four basic variables have been determined, the program will also output values for the pitch diameters of the pinion and the gear (D_p and D_g) and the number of gear teeth (N_g).

The basic formula used in all solutions is:

$$f + 1 = \frac{2P \times \text{C.D.}}{N_p} \quad (1)$$

The calculations for f , P , and C.D. are straightforward. The solution for N_p is more complicated since it must be an integer. Because of this constraint, there may not be a gear-pinion combination that will give exactly the desired reduction. In this case, the program finds the closest integer value for N_p by the formula

$$N_p = \text{INT} \left(\frac{2P \times \text{C.D.}}{f + 1} + 0.5 \right)$$

where $\text{INT}(x)$ = the integer portion of x .

Then a new value for the reduction, f' , is found by substituting this N_p into equation (1) above. The next step is to compute the number of gear teeth (also an integer) by

$$N_g = \text{INT}(f'N_p + 0.5).$$

Finally the true value of the reduction is found by

$$f = \frac{N_g}{N_p}$$

This modified value for f is stored in R_1 and may be recalled by the user if desired.

REMARKS:

The program assumes that the reduction will be expressed as a decimal number greater than 1. For instance, a reduction of 9:2 should be input as $\frac{9}{2}$, or 4.5.

If $f < 1$, the program will still work but the pinion values and gear values will be reversed.

REFERENCE:

Design of Machine Elements, M.F. Spotts, Prentice-Hall, 1971.

EXAMPLE:

A spur gear reduction mechanism is to be designed to reduce a rotation from 1800 RPM to 650 PRM. The distance between the centers of the gear and pinion is constrained to be 9 inches. If the designer wishes to use teeth of diametral pitch 9, how many teeth should be on the pinion? On the gear (38,106) What will the pitch diameters of the gears be? (4.75 inches, 13.25 inches) What is the actual reduction in speed? (2.79)

SOLUTION:

1800.00 ENT↑
650.00 ÷
2.77 *** f design
9.00 ENT↑
8.00 ENT↑
0.00 GSB1
38.00 *** N_p
GSB2
4.75 *** D_p
R/S
106.00 *** N_g
R/S
13.25 *** D_g
RCL1
2.79 *** f

Program Listings

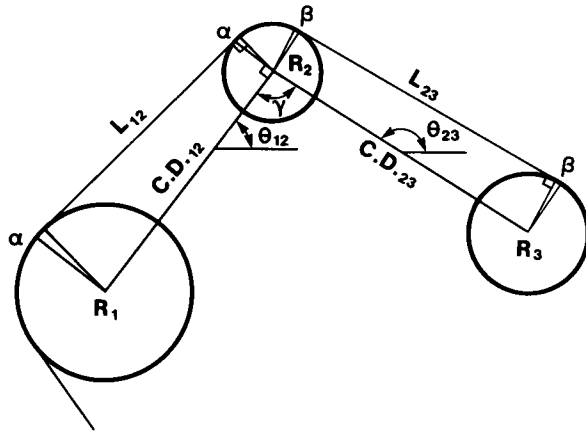
15

01 *LBL1		48 5	
02 ST04		49 +	
03 R4		50 INT	N _g
04 ST03		51 RCL4	
05 R4		52 ÷	f
06 ST02		53 ST01	
07 ST+2		54 RCL4	
08 R4		55 R/S	**N _p
09 ST01		56 *LBL8	
10 X=0?	f=0?	57 RCL4	
11 GT00		58 RCL1	
12 R4		59 1	
13 X=0?	N _p =0?	60 +	
14 GT09		61 x	
15 R4		62 RCL2	
16 X=0?	P=0?	63 ÷	
17 GT08		64 ST03	**p
18 GT06		65 R/S	
19 *LBL0	CD=0	66 *LBL6	
20 RCL2		67 RCL1	
21 RCL3		68 1	
22 x		69 +	
23 RCL4		70 RCL4	
24 ÷		71 x	
25 1		72 RCL3	
26 -		73 ÷	
27 ST01		74 ST02	
28 R/S	***f	75 2	
29 *LBL9		76 ÷	
30 RCL2		77 R/S	**C.D.
31 RCL3		78 *LBL2	
32 x		79 RCL4	
33 RCL1		80 RCL3	
34 1		81 ÷	
35 +		82 ST05	***D _p
36 ÷		83 R/S	
37 .		84 RCL4	
38 5		85 RCL1	
39 +		86 x	
40 INT		87 ST06	
41 ST04	N _p	88 R/S	***N _g
42 CHS		89 RCL5	
43 RCL2		90 RCL1	
44 RCL3		91 x	
45 x		92 ST07	
46 +	f'N _p	93 R/S	**D _g
47 .			

** "Printx" may be inserted before "R/S".
 ****"Printx" may replace "R/S".

REGISTERS					
0	1 f	2 C.D.	3 P	4 N _p	5 D _p
6 N _g	7 D _g	8	9	.0	.1
.2	.3	.4	.5	16	17
18	19	20	21	22	23
24	25	26	27	28	29

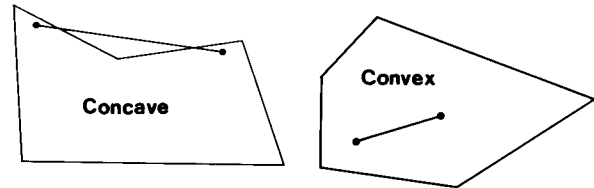
BELT LENGTH



$$\theta_{12} = \tan^{-1} \left(\frac{Y_2 - Y_1}{X_2 - X_1} \right)$$

$$\theta_{23} = \tan^{-1} \left(\frac{Y_3 - Y_2}{X_3 - X_2} \right)$$

This program generates accurate results for any convex polygon, i.e., a line between any two points within the region bounded by the center-to-center line segments is entirely contained within the region.



This program calculates the belt length around an arbitrary set of pulleys. It may also be used to calculate the total length between any connected set of coordinates. The program assumes the coordinates of the first pulley to be (0,0).

(x_i, y_i, R_i) = x,y coordinates and radius of pulley i

R_0 = Radius of first pulley

C.D. = Center to center distance of consecutive pulleys

L = Total length of belt

EQUATIONS:

$$L_{12} = \sqrt{C.D._{12}^2 - (R_2 - R_1)^2}$$

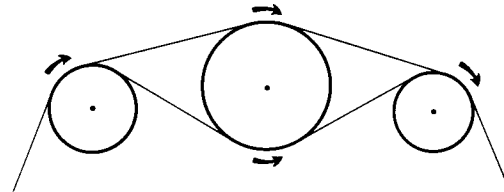
$$\text{Arc Length}_2 = R_2(\pi - \alpha - \beta - \gamma_2)$$

$$\alpha = \tan^{-1} \left(\frac{R_1 - R_2}{L_{12}} \right)$$

$$\beta = \tan^{-1} \left(\frac{R_3 - R_2}{L_{23}} \right)$$

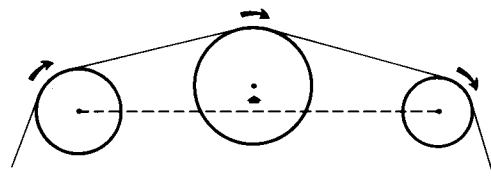
$$\gamma = \theta_{12} - \theta_{23}$$

In some cases, there are two physically possible directions for the belt to take:



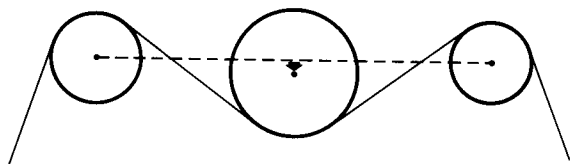
The program chooses the upper side if the middle pulley center lies above the line connecting the previous and following pulleys:

Case 1



The program chooses the lower side if the middle pulley center lies below the line connecting the previous and following pulleys:

Case 2



The program generates inaccurate answers in the second case. Note the figure bounded by the center-to-center line segments for the second case is not convex.

REMARKS:

The calculator is set and left in radians mode.

EXAMPLE 1:

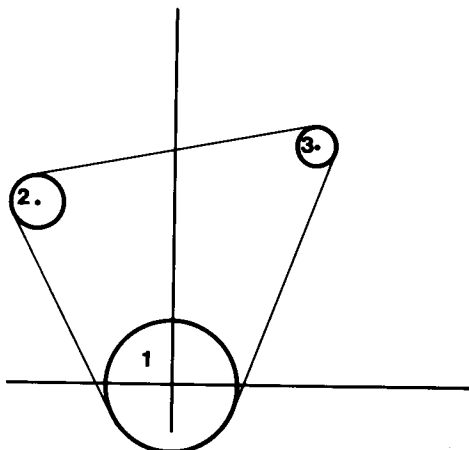
Assume three pulleys are positioned as shown below with the following coordinates and radii:

Pulley 1 (0,0,4 inches)

Pulley 2 (-8,15,1.5 inches)

Pulley 3 (9,16,1 inches)

Find the belt length around the three pulleys. (66.53 inches)



EXAMPLE 2:

Find the length of line connecting the points (0,0), (1.5,7), (3.2,-6), (0,0.5), (0,0). ($L = 28.01$). Let the radius of each "pulley" be 0.

SOLUTION:

```

1.      4.00 GSB1
      -8.00 ENT↑
      15.00 ENT↑
      1.50 GSB2
      9.00 ENT↑
      16.00 ENT↑
      1.00 GSB2
      0.00 ENT↑
      0.00 ENT↑
      4.00 GSB2
      GSB3
      66.53 *** L
  
```

```

2.      0.00 GSB1
      1.50 ENT↑
      7.00 ENT↑
      0.00 GSB2
      3.20 ENT↑
      -6.00 ENT↑
      0.00 GSB2
      0.00 ENT↑
      0.50 ENT↑
      0.00 GSB2
      0.00 ENT↑
      0.00 ENT↑
      0.00 GSB2
      GSB3
      28.01 *** L
  
```


Program Listings

19

01 *LBL1		48 RCL4	
02 RAD		49 -	
03 CLRG		50 X \div Y	
04 ST01	R ₀	51 =	
05 1		52 TAN ⁻¹	- β
06 ST00	Set flag	53 ST07	α
07 R/S		54 +	
08 *LBL2		55 RCL1	
09 ST04		56 x	Arc length j
10 CLX		57 ST+8	
11 RCL3		58 RCL4	
12 X \div Y		59 ST01	
13 ST03		60 R/S	
14 -		61 *LBL8	
15 X \div Y		62 -	
16 RCL2		63 1	γ
17 X \div Y		64 +R	Resolves to less
18 ST02		65 +P	than 2 radians
19 -		66 x	
20 +P	C.D.0	67 ABS	
21 X ²		68 RCL7	α
22 X \div Y		69 -	
23 X \div 0?		70 RTN	
24 GT00		71 *LBL3	
25 2		72 RCL6	
26 P _i		73 RCL5	
27 x		74 GSB8	
28 +		75 RCL1	
29 *LBL0		76 x	
30 DSZ	Test flag	77 RCL8	
31 GT09		78 +	
32 ST05		79 DEG	
33 ST06		80 R/S	Restore "normal" mode
34 *LBL9			** L
35 RCL6			
36 X \div Y			
37 ST06			
38 GSB8			
39 X \div Y	C.D. ²		
40 RCL1			
41 RCL4			
42 -			
43 X ²			
44 -			
45 JX			
46 ST+8	L _{i-1,i}		
47 RCL1			

** "Printx" may be inserted before "R/S".

REGISTERS					
0 Flag	1 R _{i-1}	2 x _i	3 y _i	4 R _i	5 θ_0
6 θ_i	7 α	8 Σ length	9	10	11
12	13	14	15	16	17
18	19	20	21	22	23
24	25	26	27	28	29

REVERSIBLE POLYTROPIC PROCESS FOR AN IDEAL GAS

This program may be used to solve interchangeably between pressure ratio, volume ratio, temperature ratio, and density ratio for polytropic processes involving ideal gases. Polytropic processes are defined by the relation

$$PV^n = C$$

which is shown graphically in Figure 1.

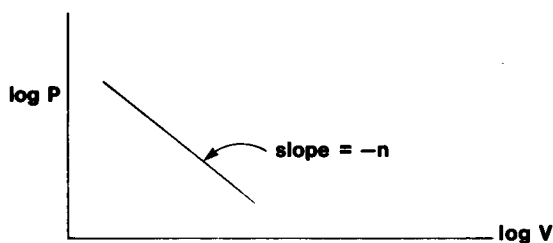


Figure 1.

Isentropic processes are special cases of polytropic processes. For isentropic processes, k , the specific heat ratio, is equal to n .

EQUATIONS:

$$\frac{P_2}{P_1} = \left(\frac{V_2}{V_1}\right)^{-n} = \left(\frac{T_2}{T_1}\right)^{\frac{n}{n-1}} = \left(\frac{\rho_2}{\rho_1}\right)^n$$

where

P_2/P_1 is the final pressure divided by the initial pressure;

V_2/V_1 is the final volume divided by the initial volume;

T_2/T_1 is the final temperature divided by the initial temperature;

ρ_2/ρ_1 is the final density divided by the initial density.

EXAMPLE: A compressor has a compression ratio of 8.5 (V_1/V_2). The polytropic constant is 1.43. If inlet air is at 300K, what is outlet temperature? What is the pressure in atmospheres if the inlet pressure is one atmosphere?

SOLUTION:

```

1.43 GSB1
8.50 1/X
      GSB3
      PRST (for 29C manually
            review the stack)
8.50 T      ρ2/ρ1
0.12 Z      V2/V1
2.51 Y      T2/T1
21.33 X      P2/P1

RCL8
300.00 x
752.96 *** Outlet temp.(K)
      RCL5
1.00 x
21.33 *** Pressure (atm)

```


Program Listings

01 *LBL1	n				
02 ST02					
03 1					
04 -					
05 ST03					
06 RCL2					
07 ST=3					
08 R/S					
09 *LBL2	P_2/P_1				
10 1					
11 GT00					
12 *LBL3	V_2/V_1				
13 RCL2					
14 CHS					
15 GT00	T_2/T_1				
16 *LBL4					
17 RCL3					
18 1/X					
19 GT00					
20 *LBL5	P_2/P_1				
21 RCL2					
22 *LBL0					
23 Y*					
24 ST05	P_2/P_1				
25 RCL2					
26 1/X					
27 Y*	ρ_2/ρ_1				
28 ST06					
29 ENT↑	V_2/V_1				
30 1/X					
31 ST07					
32 RCL5					
33 RCL3					
34 Y*	T_2/T_1				
35 ST08					
36 RCL5					
37 R/S	*** $\frac{P_2}{P_1} \frac{T_2}{T_1} \frac{V_2}{V_1} \frac{\rho_2}{\rho_1}$				
*** "Print Stack" may be inserted before "R/S".					
REGISTERS					
0	1	2 n	3 (n-1)/n	4	5 P_2/P_1
6 ρ_2/ρ_1	7 V_2/V_1	8 T_2/T_1	9	.0	.1
.2	.3	.4	.5	16	17
18	19	20	21	22	23
24	25	26	27	28	29

ISENTROPIC FLOW FOR IDEAL GASES

This program can be used to replace flow tables for a specified specific heat ratio, k .

EQUATIONS:

$$A/A^* = \frac{1}{M} \left[\left(\frac{2}{k+1} \right) \left(1 + \frac{k-1}{2} M^2 \right) \right]^{\frac{k+1}{2(k-1)}}$$

$$T/T_0 = \frac{2}{2 + (k-1) M^2}$$

$$P/P_0 = (T/T_0)^{k/(k-1)}$$

$$\rho/\rho_0 = (T/T_0)^{1/(k-1)}$$

where

M the mach number;

T/T_0 the ratio of flow temperature T to static or zero velocity temperature T_0 ;

P/P_0 the ratio of flow pressure P to static pressure P_0 ;

ρ/ρ_0 the ratio of flow density ρ to static density ρ_0 ;

A/A^*_{sub} and A/A^*_{sup} are the ratios of flow area A to the throat area A^* in converging-diverging passages. A/A^*_{sub} refers to subsonic flow while A/A^*_{sup} refers to supersonic flow.

M^2 is determined using Newton's method. The initial guess used is as follows with a positive exponent for supersonic flow:

$$M_0^2 = (\sqrt{\text{Frac}(A/A^*)} + A/A^*)^{+3}$$

REMARKS:

After an input of A/A^* the program begins to iterate to find M^2 for future use. This iteration will normally take less than one minute, but may take longer on occasion and for extreme values of k (1.4 is optimum) may fail to converge at all.

A/A^* values of 1.00 are illegal inputs. $M = 1$ in this case.

EXAMPLE 1:

A pilot is flying at mach 0.93 and reads an air temperature of 15 degrees Celsius (288 K) on a thermometer that reads stagnation temperature T_0 . What is the true temperature assuming that $k = 1.38$?

If the pilot reads a stagnation pressure P_0 of 28 inches of mercury, what is the true air pressure?

EXAMPLE 2:

A converging, diverging passage has supersonic flow in the diverging section. At an area ratio A/A^* of 1.60, what are the isentropic flow ratios for temperature, pressure and density? What is the mach number? $k = 1.74$.

SOLUTION:

1.

1.38 GSB1
 0.93 χ^2
 ST01 M^2
 GSB3
 1.00 *** A/A*
 GSB9
 RCL8 T/T_0
 0.86 ***
 288.00 x
 247.35 *** $T(^{\circ}K)$
 RCL5
 0.58 *** P/P_0
 28.00 x
 16.11 *** P (in. Hg)

2.

1.74 GSB1
 1.60 GSB2
 2.11 *** M
 R4
 0.27 *** ρ/ρ_0
 R4
 0.10 *** P/P_0
 R4
 0.38 *** T/T_0

Program Listings

01 *LBL1	k	48 ABS	
02 ST04		49 EEX	
03 ST07		50 CHS	
04 1		51 4	
05 ST+7		52 X<Y?	Change ≥ .01%?
06 -		53 GT00	
07 ST03		54 GT09	
08 ST÷7		55 *LBL3	
09 2		56 RCL1	
10 ST÷7		57 RCL3	
11 +		58 x	
12 ST02		59 2	
13 R/S		60 +	
14 *LBL2	$\pm A/A^*$	61 RCL2	[]
15 ENT↑		62 ÷	
16 ABS		63 ST08	
17 ÷		64 RCL7	
18 LSTX	$A/A^* \pm 1$	65 Y*	
19 ST06		66 RCL1	
20 ENT↑		67 JX	
21 FRC		68 ÷	** A/A*
22 JX		69 RTN	Calculate T/T ₀
23 +		70 *LBL9	
24 X<Y		71 2	
25 3		72 RCL1	
26 x	± 3	73 RCL3	
27 Y*		74 x	
28 ST01	M^2_{O}	75 2	
29 *LBL0		76 +	
30 RCL6		77 ÷	
31 GSB3	A/A^*	78 ST08	
32 ÷		79 RCL8	
33 1		80 RCL4	
34 -		81 RCL3	
35 .		82 ÷	
36 5		83 Y*	P/P ₀
37 RCL8		84 ST05	
38 ÷		85 RCL5	
39 .		86 RCL4	
40 5		87 1/X	
41 RCL1		88 Y*	ρ/ρ_0
42 ÷		89 ST06	
43 -		90 RCL1	
44 ÷		91 JX	
45 ST+1	ΔM^2	92 R/S	
46 RCL1			
47 ÷			

** "Printx" may be inserted before "RTN".
 *** "Print Stack" may be inserted before "R/S".

REGISTERS

0	1 M^2	2 $k + 1$	3 $k - 1$	4 k	5 P/P_0
6 ρ/ρ_0	7 $(k+1)/(k-1)^2$	8 Used, T/T ₀	9	.0	.1
.2	.3	.4	.5	16	17
18	19	20	21	22	23
24	25	26	27	28	29

HEAT TRANSFER THROUGH COMPOSITE CYLINDERS AND WALLS

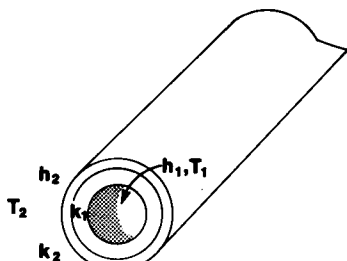


Figure 1.—Composite tube

This program can be used to calculate the overall heat transfer coefficient for composite tubes and walls from individual section conductances and surface coefficients.

Equations:

The overall heat transfer coefficient U is defined by:

$$q/L = U \Delta T$$

or

$$q/A = U \Delta T$$

where ΔT is the total temperature difference ($T_2 - T_1$), q/L is the heat transfer per unit length of pipe, and q/A is the heat transfer per unit area of wall.

For cylinders

$$U = \frac{2\pi}{\frac{2}{h_1 D_1} + \frac{\ln D_2/D_1}{k_1} + \frac{\ln D_3/D_2}{k_2} + \dots + \frac{2}{h_n D_n}}$$

For walls

$$U = \frac{1}{\frac{1}{h_1} + \frac{x_1}{k_1} + \frac{x_2}{k_2} + \dots + \frac{1}{h_n}}$$

where

h is the convective surface coefficient:

D_n is the outside diameter of the n annulus:

k is the conductive coefficient;

x is the thickness of a wall section.

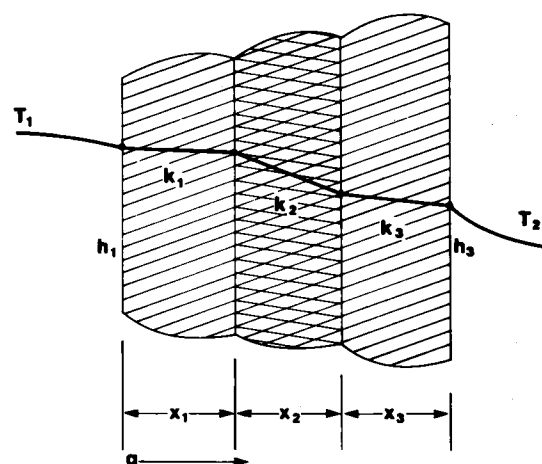


Figure 2.—Composite wall

Remarks:

These equations are for steady state heat transfer through materials with constant properties in all directions.

Inputs must start with the inside convective coefficient and work out in the case of composite cylinders.

Zero is an invalid input for D , k , and h .

Dimensional consistency must be maintained.

Example 1:

A steel pipe with an inside diameter of 4 inches and a thickness of 0.5 inches has a conductivity of 25 Btu/ft-hr-°F. Two inches of asbestos ($k=0.1$ Btu/hr-ft-°F) enclose the pipe bringing the total diameter to 9 inches. If the inside convective coefficient is 1000 Btu/hr-ft²-°F and the outside coefficient is 5 Btu/hr-ft²-°F, what is the overall heat transfer coefficient? What is the heat loss for 100 feet of pipe if ΔT is 115°F?

2.

```

          CLRG
23.00 GSB3
0.40 ENT↑
1.00 GSB4
0.12 ENT↑
1.00 ENT↑
12.00 ÷
          GSB4
5.00 GSB3
0.29 *** Btu/ft2-hr-°F
70.00 x
20.36 *** Btu/ft2-hr

```

Example 2:

A wall is composed of 1 foot of brick ($k=0.4$ Btu/hr-ft-°F), and 1 inch of wood ($k=0.12$ Btu/hr-ft-°F). The convective coefficient on one side is 23 Btu/hr-ft²-°F. The convective coefficient of the other side is 5 Btu/hr-ft²-°F. What is the overall coefficient? What is the heat flux if the temperature difference is 70°F?

Solutions:

1.

```

          CLRG
1000.00 ENT↑
4.00 ENT↑
12.00 ÷ (convert units to feet)
          GSB1
25.00 ENT↑
5.00 ENT↑
12.00 ÷
          GSB2
0.10 ENT↑
9.00 ENT↑
12.00 ÷
          GSB2
5.00 ENT↑
9.00 ENT↑
12.00 ÷
          GSB1
0.98 *** Btu/hr-ft-°F
115.00 x
112.44 ***
100.00 x
11244.20 *** Btu/hr

```


Program Listings

01 *LBL1 02 ST07 03 x 04 Pi 05 x 06 *LBL3 07 1/X 08 ST+8 09 RCL8 10 X=Y? 11 R/S 12 1/X 13 R/S 14 *LBL2 15 RCL7 16 X*Y 17 ST07 18 ÷ 19 LN 20 X*Y 21 2 22 x 23 Pi 24 x 25 ÷ 26 ST-8 27 R/S 28 *LBL4 29 X*Y 30 ÷ 31 ST+8 32 R/S	D h
---	---

**"Printx" may be inserted before "R/S".

BLACK BODY THERMAL RADIATION

Bodies with finite temperatures emit thermal radiation. The higher the absolute temperature, the more thermal radiation emitted. Bodies which emit the maximum possible amount of energy at every wavelength for a specified temperature are said to be black bodies. While black bodies do not actually exist in nature, many surfaces may be assumed to be black for engineering considerations.

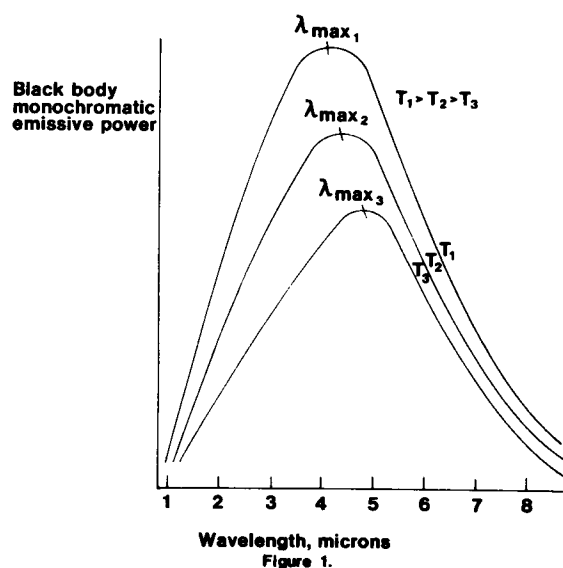


Figure 1 is a representation of black body thermal emission as a function of wavelength. Note that as temperature increases the area under the curves (total emissive power $E_b(0-\infty)$) increases. Also note that the wavelength of maximum emissive power λ_{\max} shifts to the left as temperature increases.

This program can be used to calculate the wavelength of maximum emissive power for a given temperature, the temperature corresponding to a particular wavelength of maximum emissive power, the total emissive power for all wavelengths and the emissive power at

a particular wavelength. It can also be used to calculate the emissive power from zero to an arbitrary wavelength, the emissive power between two wavelengths or the total emissive power.

EQUATIONS:

$$\lambda_{\max} T_{\lambda_{\max}} = c_3$$

$$E_b(0-\infty) = \sigma T^4$$

$$E_{b\lambda} = \frac{2\pi c_1}{\lambda^5 (e^{c_2/\lambda T} - 1)}$$

$$E_b(0-\lambda) = \int_0^\lambda E_{b\lambda} d\lambda$$

$$= 2\pi c_1 \sum_{k=1}^{\infty} \frac{1}{k^5} e^{-T/kc_2} \left[\left(\frac{1}{\lambda} \right)^3 + \frac{3T}{\lambda^2 kc_2} + \frac{6}{\lambda} \left(\frac{T}{kc_2} \right)^2 + 6 \left(\frac{T}{kc_2} \right)^3 \right]$$

$$E_b(\lambda_1-\lambda_2) = E_b(0-\lambda_2) - E_b(0-\lambda_1)$$

where

λ_{\max} is the wavelength of maximum emissivity in microns;

T is the absolute temperature in $^{\circ}\text{R}$ or K ;

$E_{b(0-\infty)}$ is the total emissive power
in Btu/hr-ft² or Watts/cm²;

$E_{b\lambda}$ is the emissive power at λ in
Btu/hr-ft²- μ m or Watts/cm²- μ m;

$E_{b(0-\lambda)}$ is the emissive power for
wavelengths less than λ in
Btu/hr-ft² or Watts/cm²;

$E_{b(\lambda_1-\lambda_2)}$ is the emissive power for
wavelengths between λ_1 and λ_2
in Btu/hr-ft² or Watts/cm².

$$c_1 = 1.8887982 \times 10^7 \text{ Btu-}\mu\text{m}^4/\text{hr-ft}^2 \\ = 5.9544 \times 10^3 \text{ W}\mu\text{m}^4/\text{cm}^2$$

$$c_2 = 2.58984 \times 10^4 \mu\text{m-}^\circ\text{R} = \\ 1.4388 \times 10^4 \mu\text{m-K}$$

$$c_3 = 5.216 \times 10^3 \mu\text{m-}^\circ\text{R} = \\ 2.8978 \times 10^3 \mu\text{m-K}$$

$$\sigma = 1.71312 \times 10^{-9} \text{ Btu/hr-ft}^2\text{-}^\circ\text{R}^4 = \\ 5.6693 \times 10^{-12} \text{ W/cm}^2\text{-K}^4$$

$$\sigma_{\text{exp}} = 1.731 \times 10^{-9} \text{ Btu/hr-ft}^2\text{-}^\circ\text{R}^4 \\ = 5.729 \times 10^{-12} \text{ W/cm}^2\text{-K}^4$$

REMARKS:

A minute or more may be required to
obtain $E_{b(0-\lambda)}$ or $E_{b(\lambda_1-\lambda_2)}$ since the
integration is numerical.

Sources differ on values for constants.
This could yield small discrepancies
between published tables and outputs.

REFERENCE:

Robert Siegel and John R. Howell,
Thermal Radiation Heat Transfer, Vol. 1,
National Aeronautics and Space Admin-
istration, 1968.

EXAMPLE 1:

What percentage of the radiant output
of a lamp is in the visible range (0.4
to 0.7 microns) if the filament of the
lamp is assumed to be a black body at
2400 K?

EXAMPLE 2:

If the human eye was designed to work
most efficiently in sunlight and the
visible spectrum runs from about 0.4 to
0.7 microns, what is the sun's tempera-
ture in degrees Rankine? Assume that
the sun is a black body. Using the
temperature calculated, find the frac-
tion of the sun's total emissive power
which falls in the visible range. Find
the percentage of the sun's radiation
which has a wavelength less than 0.4
microns.

SOLUTIONS:

1.

5954.40 ST01	} S.I. constants
14388.00 ST02	
2897.80 ST03	
5.6693-12 ST04	
2400.00 ST05	
0.40 ST06	
0.70 ST07	
GSB4	
4.97 ***	
GSB2	$E_b (0 \text{ to } \infty)$
÷	
100.00 x	
2.64 *** (%)	

2.

18887982.00	ST01	} English constants
25898.40	ST02	
5216.00	ST03	
1.71312-09	ST04	

0.40 ENT↑

0.70 +

2.00 ÷

0.55 *** mean value

RCL3

÷

1/X

9483.64 *** T, (°R)

ST05

0.40 ST06

0.70 ST07

GSB4

4670556.56 *** $E_b(.4 \text{ to } .7)$

GSB2

13857578.83 *** $E_b(0 \text{ to } \infty)$

÷

100.00 x

33.70 *** (%)

0.40 ST06

GSB1

1168606.94 *** $E_b(0 \text{ to } .4)$

GSB2

÷

100.00 x

8.43 *** (%)

User Instructions

STEP	INSTRUCTIONS	INPUT DATA/UNITS	KEYS		OUTPUT DATA/UNITS
1	Key in the program				
2	Store constants:				
2a	English units -	18887982	STO	1	
	(Btu, μm , ft, $^{\circ}\text{R}$)	25898.4	STO	2	
		5216	STO	3	
	or	$.171312 \times 10^{-8}$	STO	4	
2b	SI units -	5954.4	STO	1	
	(W, μm , cm, $^{\circ}\text{K}$)	14388	STO	2	
		2897.8	STO	3	
		5.6693×10^{-12}	STO	4	
3	For experimental Stefan-Boltzmann constant	1.0105	STO	x	
	instead of theoretical constant		4		
4	To calculate $\lambda_{\text{max}} = f(T)$		RCL	3	
		$T(^{\circ}\text{Absol.})$	\div		$\lambda_{\text{max}}(\mu\text{m})$
5	To calculate $T = f(\lambda)$ for which λ is		RCL	3	
	maximum	$\lambda(\mu\text{m})$	\div		$T(^{\circ}\text{Absol.})$
6	To calculate total emissive power	T^*	STO	5	
			GSB	2	$E_b(0 \text{ to } \infty)$
7	To calculate emissive power at λ	T^*	STO	5	
		λ	STO	6	
			GSB	3	$E_b(\lambda)$
8	To calculate emissive power from 0 to λ_1	T^*	STO	5	
		λ_1	STO	6	
			GSB	1	$E_{b(0 \text{ to } \lambda_1)}$
9	To calculate emissive power from λ_1 to λ_2	T^*	STO	5	
		λ_1	STO	6	
	*any value of T stored previously is still	λ_2	STO	7	
	stored and need not be input again		GSB	4	$E_{b(\lambda_1 \text{ to } \lambda_2)}$

Program Listings

35

01 *LBL1		50 X Δ Y?	$\Delta \geq .001\%$
02 GSB9		51 GT00	yes, increment k
03 R/S	***E _b (0 to λ_1)	52 RCL9	
04 *LBL9		53 2	
05 0		54 x	
06 ST09		55 Pi	
07 ST08		56 x	
08 *LBL0		57 RCL1	
09 RCL2		58 x	
10 RCL5		59 RTN	E _b (0 to λ)
11 ÷		60 *LBL2	
12 ST-8	-k c ₂ /T	61 RCL5	
13 3		62 4	
14 RCL8		63 Y*	
15 ÷		64 RCL4	
16 RCL6		65 x	
17 X ²		66 R/S	**E _b (0 to ∞)
18 ÷		67 *LBL3	
19 LSTX	λ^2	68 RCL1	
20 RCL6		69 2	
21 x		70 x	
22 1/X		71 Pi	
23 -		72 x	
24 6		73 RCL6	
25 RCL6		74 5	
26 ÷		75 Y*	
27 RCL8		76 ÷	
28 X ²		77 RCL2	
29 ÷		78 RCL6	
30 -		79 ÷	
31 6		80 RCL5	
32 RCL8		81 ÷	
33 3		82 e ^x	
34 Y*		83 1	
35 ÷		84 -	
36 +		85 ÷	
37 RCL8		86 R/S	**E _{bλ}
38 RCL6		87 *LBL4	
39 ÷		88 GSB9	
40 e ^x		89 ST.0	E _b (0 to λ_1)
41 x		90 RCL7	
42 RCL8		91 ST06	λ_2
43 ÷		92 GSB9	
44 ST+9	Δ	93 RC.0	
45 RCL9		94 -	
46 ÷		95 R/S	**E _b (λ_1 to λ_2)
47 EEX			
48 CHS			
49 5			

***"Printx" may be inserted before "R/S"

REGISTERS					
0	1 C ₁	2 C ₂	3 C ₃	4 σ	5 T
6 λ	7 λ_2	8 -Kc ₂ /T	9 sum	10 used	11
12	13	14	15	16	17
18	19	20	21	22	23
24	25	26	27	28	29

CONSERVATION OF ENERGY

This program converts kinetic energy, potential energy, and pressure-volume work to energy. Energy is stored as a running total which may at any time be converted to an equivalent velocity, height, pressure, or energy per unit mass. The program is useful in fluid flow problems where velocity, elevation and pressure change along the path of flow.

EQUATIONS:

$$\frac{v_1^2}{2} + gz_1 + \frac{P_1}{\rho} + \frac{E_1}{\dot{m}} =$$

$$\frac{v_2^2}{2} + gz_2 + \frac{P_2}{\rho} + \frac{E_2}{\dot{m}}$$

where:

- v is the fluid velocity;
- z is the height above a reference datum;
- P is the pressure;
- E is an energy term which could represent inputs of work or friction losses (negative value);
- g is the acceleration of gravity;
- ρ is the fluid density;
- \dot{m} is the mass flow rate (assumed to be unity);
- subscripts 1 and 2 refer to upstream and downstream values respectively.

NOTES:

Downstream values should be input as negatives. However, when an output is called for, the calculator displays the relative value with no regard to upstream or downstream location.

An error will result when the total energy sum stored in register 8 is negative and an attempt is made to calculate velocity.

EXAMPLE 1:

A water tower is 100 feet high. What is the zero flow rate pressure at the base? The density of water is 62.4 lb/ft³.

If water is flowing out of the tower at a velocity of 10 ft/sec, what is the static pressure?

What is the maximum frictionless flow velocity which could be achieved with the 100 foot tower?

If 10000 pounds of water are pumped to the top of the tower every hour, at a velocity of 20 ft/sec, with a frictional pressure drop of 2 psi, how much power is needed at the pump?

EXAMPLE 2:

An incompressible fluid ($\rho = 735 \text{ kg/m}^3$) flows through the converging passage of Figure 1. At point 1 the velocity is 3 m/s and at point 2 the velocity is 15 m/s. The elevation difference between points 1 and 2 is 3.7 meters. Assuming frictionless flow, what is the static pressure difference between points 1 and 2?

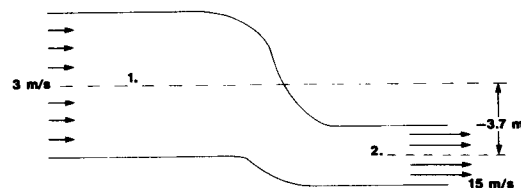


Figure 1.

EXAMPLE 3:

A reservoir's level is 25 meters above the discharge pond. Assuming 85% power generation efficiency, how much power can be generated with a flow rate of 20 m³/s?

$$\rho = 1000 \text{ kg/m}^3$$

SOLUTIONS:

(1)

25033.407 ST05
32.17 ST06
4632.48 ST07
62.40 GSB1
100.00 GSB3
GSB8
43.33 *** (psig)
-10.00 GSB2
GSB8
42.66 *** (psig)
62.40 GSB1
100.00 GSB3
GSB6
80.21 *** (ft/sec)
62.40 GSB1
20.00 GSB2
2.00 GSB4
100.00 GSB3
GSB9
0.14 *** (BTU/lb)
10000.00 x
1424.29 *** (BTU/hr)

(2)

1.00 ST05
ST07
9.80665 ST06
735.00 GSB1
3.00 GSB2
3.70 GSB3
-15.00 GSB2
GSB8
-52710.82 *** (Nt/m²)

(3)

1000.00 GSB1
25.00 GSB3
GSB9
245.17 *** (joule/kg)
0.85 x
208.39 *** (joule/kg)
20.00 ENT†
1000.00 x (kg/s)
x
4167826.25 *** (watts)

Program Listings

39

01 *LBL1					
02 ST04					
03 0					
04 ST08					
05 R/S					
06 *LBL2					
07 ENT↑					
08 ABS					
09 x					
10 2					
11 ÷					
12 GT05					
13 *LBL3					
14 RCL6					
15 x					
16 GT05					
17 *LBL4					
18 RCL7					
19 x					
20 RCL4					
21 ÷					
22 *LBL5					
23 ST+8					
24 R/S					
25 *LBL6					
26 RCL8					
27 2					
28 x					
29 JX					
30 R/S					
31 *LBL7					
32 RCL8					
33 RCL6					
34 ÷					
35 R/S					
36 *LBL8					
37 RCL8					
38 RCL7					
39 ÷					
40 RCL4					
41 x					
42 R/S					
43 *LBL9					
44 RCL8					
45 RCL5					
46 ÷					
47 R/S					
REGISTERS					
0	1	2	3	4 ρ	5 Used
6 g	7 Used	8 Σ E	9	10	11
12	13	14	15	16	17
18	19	20	21	22	23
24	25	26	27	28	29

In the Hewlett-Packard tradition of supporting HP programmable calculators with quality software, the following titles have been carefully selected to offer useful solutions to many of the most often encountered problems in your field of interest. These ready-made programs are provided with convenient instructions that will allow flexibility of use and efficient operation. We hope that these Solutions books will save your valuable time. They provide you with a tool that will multiply the power of your HP-19C or HP-29C many times over in the months or years ahead.

Mathematics Solutions
Statistics Solutions
Financial Solutions
Electrical Engineering Solutions
Surveying Solutions
Games
Navigational Solutions
Civil Engineering Solutions
Mechanical Engineering Solutions
Student Engineering Solutions